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Pulse length of ultracold electron bunches extracted from a laser cooled gas

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We present measurements of the pulse length of ultracold electron bunches generated by near-threshold two-photon photoionization of a laser-cooled gas. The pulse length has been measured using a resonant 3 GHz deflecting cavity in TM_{110} mode. We have measured the pulse length in three ionization regimes. The first is direct two-photon photoionization using only a 480 nm femtosecond laser pulse, which results in short (~15 ps) but hot (~10^4 K) electron bunches. The second regime is just-above-threshold femtosecond photoionization employing the combination of a continuous-wave 780 nm excitation laser and a tunable 480 nm femtosecond ionization laser which results in both ultracold (~10 K) and ultrafast (~25 ps) electron bunches. These pulses typically contain ~10^3 electrons and have a root-mean-square normalized transverse beam emittance of 1.5 ± 0.1 nm rad. The measured pulse lengths are limited by the energy spread associated with the longitudinal size of the ionization volume, as expected. The third regime is just-below-threshold ionization which produces Rydberg states which slowly ionize on microsecond time scales.

I. INTRODUCTION

Ultrafast electron diffraction (UED) has developed into a powerful technique for studying structural dynamics. Pumping samples with femtosecond laser pulses and probing them with high energy electron bunches can easily lead to sample damage, which is particularly true for biological molecules. This means that diffraction patterns preferably have to be captured with a single electron bunch: single-shot electron diffraction. This requires electron bunches with 10^6–10^7 electrons per pulse which are prone to space charge explosions, resulting in loss of temporal resolution and degradation of transverse beam quality. The effect of space charge forces may be mitigated by using an ultracold electron source since it allows for larger source sizes and thus lower bunch densities for the same beam quality.

To obtain high quality diffraction images the relative energy spread of the electron bunch needs to be much smaller than unity and the transverse coherence length larger than the lattice spacing of the structure under investigation. Previous work demonstrated that the ultracold electron source is capable of producing high quality diffraction images, even with electron bunches created by femtosecond photoionization. The transverse beam quality of the ultracold electron source has been investigated extensively previously. However, the longitudinal electron beam characteristics have not been investigated in great detail. Recently it was shown that the ultracold electron source can be used to create ultracold electron bunches with a
In this paper we present pulse length measurements with sub-ps resolution of ultracold electron bunches with an rms pulse duration of 25 ps containing $\sim 10^3$ electrons per pulse. Up to $\sim 10^6$ electrons can be extracted in a single shot from the ultracold electron source but then strong space charge effects come into play. These space charge effects can be minimized by shaping the initial electron distribution. In this paper we stick to maximally $\sim 10^3$ electrons per bunch, thus avoiding the complication of space charge effects.

For UED, the electron pulse length has to be shorter than the shortest timescale associated with the process under investigation. This means that often the electron bunch length should preferably be much shorter than one picosecond. This can be achieved by compressing longer electron pulses using a resonant RF cavity in TM$_{010}$ mode, but for this to work the electron pulse should not be longer than a few 10 ps (Ref. 15) for a cavity operated at 3 GHz. In this paper we show that such electron bunches can indeed be extracted from the ultracold electron source.

This paper is organized as follows: In Section II, we introduce the ultracold electron source and the relevant photoionization schemes (Section II A) that were used. In Sections II B and II C, we address the transverse electron beam quality (transverse emittance) and the longitudinal beam quality (longitudinal emittance). In Section II D, we discuss a model of the rubidium ionization process allowing us to make an estimate of the shortest electron pulse lengths that can be expected. In Section III, the experimental setup is described. Finally, in Section IV, the results will be presented. We show that we can produce electron bunches which are both ultracold and ultrafast, with rms pulse durations of $\sim 20$ ps, short enough to be compressed to sub-ps bunch lengths. In Section V, we will finish with a conclusion and an outlook.

II. ULTRACOLD ELECTRON SOURCE

Ultracold electron bunches are created by near-threshold photoionization of laser-cooled and trapped 85-rubidium atoms, as is illustrated in Fig. 1. First, in Fig. 1(a), rubidium atoms are laser-cooled and trapped in a magneto-optical trap (MOT), with an atom density $\sim 10^{16}$ m$^{-3}$.

Second, in Fig. 1(b), the trapping laser is switched off 1 $\mu$s before the ionization laser pulse, so all atoms in the MOT relax to the ground state. Then the 780 nm excitation laser beam is switched on, creating a small cylinder of excited atoms in the $5P_{3/2}F = 4$ state which has an rms radius of 35 $\mu$m. Subsequently, a small volume of rubidium atoms is ionized by a femtosecond 480 nm ionization laser beam, intersecting the excitation laser beam at right angles, resulting in a cloud of cold electrons and ions typically less than 100 $\mu$m in diameter. This all occurs in a static electric field, see Fig. 1(c), which immediately accelerates all charged particles created.

Figure 2 shows a schematic picture of the accelerator. The electrons are created in the center of the accelerating structure which has a potential $2Fd_{acc}$ applied across the electrodes.
with $F$ the electric field strength and $d_{\text{acc}} = 13.5$ mm the length over which the electrons are accelerated. Electrons created in the back of the ionization volume will be accelerated over a longer distance and thus acquire more energy than electrons created in the front. This results in a correlated momentum spread at the exit of the accelerator (Fig. 2(b)). At a distance $2d_{\text{acc}}$ behind the accelerator the electrons created in the back catch up with the electrons created in the front, creating a self focus (Fig. 2(c)). After this self focus the electron pulse stretches due to the energy spread (Fig. 2(d)).

In the absence of space charge forces, the initial longitudinal energy spread is dominated by the width of the ionization laser beam $\sigma_{\text{ion}}$ in the direction of the acceleration field. The initial energy spread due to thermal motion is 1–10 meV for all three degrees of freedom,\textsuperscript{2,7,11} which is at least an order of magnitude smaller than the energy spread due to the finite ionization laser beam size, typically 0.1–1 eV. Therefore, the Boersch effect can be neglected. As a result, the rms relative energy spread $\frac{\sigma_U}{U}$ is to a good approximation directly proportional to the ionization laser beam size,

$$\frac{\sigma_U}{U} = \frac{\sigma_{\text{ion}}}{d_{\text{acc}}},$$

with $U = eFd_{\text{acc}}$ the average bunch energy. The spot size of the diffraction limited ionization laser beam focus at the position of the ionization volume results in $\sigma_{\text{ion}} \approx 30 \mu$m, so the expected rms relative energy spread $\sigma_U / U \approx 3 \times 10^{-3}$.

FIG. 2. Schematic representation of the acceleration of the ultra cold electron bunch. The electrons are accelerated over a distance $d_{\text{acc}}$ and the ionization laser has a width $\sigma_{\text{ion}}$. The bottom figures show the evolution of the longitudinal phase space distribution at various points in the beam-line. The electrons receive a correlated momentum spread upon exiting the accelerator structure (b), which causes the electron beam to first self focus (c) and then expand (d) as it drifts towards the detector.
Depending on the intensity and the central wavelength of the 480 nm femtosecond laser ionization may occur by different mechanisms. We may distinguish three different ionization schemes, schematically indicated in Fig. 3, which are described in more detail below. In principle all three ionization processes always occur but their relative importance is determined by the intensity and central wavelength of the ionization laser.

A. Ionization schemes

The first ionization regime is photoionization of rubidium atoms from the ground state \( \left( 5S_{1/2} \right) \) using two blue photons (480–480), see Fig. 3(a). This will result in hot electrons (\( \sim 10^7 K \)) due to large excess energies. The ionization probability of this non-linear process scales with the intensity of the ionization laser field squared, which therefore results in an ionization volume that is smaller in length by a factor \( 1/\sqrt{2} \) than it would be by 780–480 nm photoionization, described below.

The second regime is near-threshold photoionization using a red and a blue laser (780–480), which results in ultracold electron bunches suitable for high quality electron diffraction. Atoms are excited from the ground state to the \( 5P_{3/2} \) state using a 1 \( \mu s \) excitation pulse. In the mean time, an ultrafast blue laser ionizes the excited atoms, see Fig. 3(b). In all (780–480) measurements the intensity of the femtosecond ionization laser has been decreased to minimize the contribution of two-photon (480–480) ionization. The ionization probability per 480 nm photon of this process is at least an order of magnitude larger than that in the direct photoionization regime, resulting in more electrons per pulse.

When the center wavelength of the ionization laser is tuned below the ionization threshold, slowly decaying Rydberg states are formed (780–480–Ry), the third regime. For a given ionization laser wavelength \( \lambda \) and electric field strength \( F \), the excess energy is given by

\[
E_{exc} = E_{\lambda} + E_F \equiv \hbar c \left( \frac{1}{\lambda} - \frac{1}{\lambda_0} \right) + 2E_h \sqrt{\frac{F}{F_0}},
\]

where \( \lambda_0 = 479.06 \) nm is the zero-field ionization laser wavelength threshold, \( E_h = 27.2 \) eV the Hartree energy, \( F_0 = 5.14 \times 10^{11} \) V/m the atomic unit of electric field strength, \( \hbar \) Planck’s constant, and \( c \) the speed of light.

The part of the femtosecond laser spectrum lying in the positive excess energy regime will still be able to produce fast electron pulses, see Fig. 3(c). Figure 3(d) depicts the Stark-shifted rubidium potential, with \( E_{\lambda} \) the contribution to the excess energy due to the laser wavelength and \( E_F \) the contribution to the excess energy due to the Stark shift.

![FIG. 3. Ionization schemes. (a) Photoionization from the rubidium ground state using two 480 nm photons. (b) Just-above-threshold photoionization, using a 780 nm and a 480 nm photon. (c) Just-below-threshold photoionization; Rydberg states are created which slowly ionize. (d) Rubidium potential in a static electric field, with \( E_F \) the contribution to excess energy due to the Stark shift and \( E_{\lambda} \) the contribution to excess energy due to the ionization laser wavelength.](image)
The tail below threshold will create long lived Rydberg states that slowly ionize. We have scanned the center wavelength of the ionization laser across the zero excess energy point to investigate the ionization dynamics of the Rydberg gas.

B. Transverse phase space

The transverse beam quality of an electron beam can be described by the normalized root-mean-squared (rms) transverse emittance

$$\hat{\epsilon}_x = \frac{\sigma_x \sigma_{p_x}}{m c} = \sigma_x \sqrt{\frac{k_B T_x}{mc^2}}$$

(3)

with $\sigma_x$ the rms source size, $m$ the electron mass, and $\sigma_{p_x}$ the rms momentum spread at the source, which can be expressed in terms of an effective transverse source temperature $T_x$.

The beam quality of the electrons extracted from the ultracold source has been investigated extensively in previous work. Waist scan measurements resulted in a normalized rms transverse beam emittance of $\hat{\epsilon}_x = 1.5 \text{ nm rad}$. This is equivalent to a relative transverse coherence length of $C_\perp = \frac{L}{\sigma_x} = \frac{\lambda_c}{\sigma_x} = 2.5 \times 10^{-4}$ with $\lambda_c = \frac{\hbar}{mc}$ the reduced Compton wavelength, $\hbar$ Dirac’s constant, and $L_\perp$ the transverse coherence length.

We have repeated our previous measurements with a higher resolution electron detector (TVips TemCam-F216) allowing for more accurate measurements. Figure 4 shows the spot size as measured on the detector as a function of magnetic lens current together with our beam line model fit which is used to determine the transverse beam emittance. These measurements result in an rms transverse normalized emittance of $\hat{\epsilon}_x = 1.5 \pm 0.1 \text{ nm rad}$ for $\lambda = 490 \text{ nm}$ and $F = 0.813 \text{ MV/m}$. Using the value of the independently measured source size $\sigma_x = 35 \mu\text{m}$, this emittance corresponds to an effective transverse source temperature $T_x = 10 \text{ K}$, confirming our earlier results.

C. Longitudinal phase space

The normalized longitudinal beam emittance of the ultracold electron source is analogous to the transverse beam emittance (see Eq. (3)), described by

$$\hat{\epsilon}_z = \frac{\sigma_z \sigma_{p_z}}{m c} = \sigma_z \sqrt{\frac{k_B T_z}{mc^2}}$$

(4)

with $\sigma_{p_z}$ the longitudinal rms momentum spread, $\sigma_z$ the rms size of the ionization volume in the acceleration ($\hat{z}$) direction, and $T_z$ the effective longitudinal source temperature. In the most favorable case $T_z = 10 \text{ K}$, as measured, and $T_z = 100 \text{ K}$ determined by the bandwidth ($\sigma_j = 4 \text{ nm}$) of the ionization laser. This results in a normalized rms longitudinal emittance of $\hat{\epsilon}_z = 4 \text{ nm rad}$. The longitudinal beam emittance is better known as the product of the rms pulse duration $\tau_w$ in a waist and the rms energy spread $\sigma_U$.

![FIG. 4. The rms electron spot size $\sigma_x$ as measured on the detector for various magnetic lens currents.](image-url)
resulting in $\varepsilon_z \cdot mc = 7 \text{ ps} \cdot \text{eV}$.

The longitudinal beam emittance is an important parameter since it determines to what extent we can compress our electron pulse for a given energy spread, see Eq. (5). Using Eqs. (1), (4), and (5) and $U = eFd_{\text{acc}}$ we can show that the rms pulse length in the longitudinal waist (see Fig. 2(c)) is given by

$$\tau_u = \frac{\sqrt{m_k T_z}}{eF} \quad (6)$$

with $e$ the elementary charge. For $T_z = 100 \text{ K}$ and $F = 0.813 \text{ MV/m}$ we thus find $\tau_u = 270 \text{ fs}$. Strictly speaking, Eq. (5) only holds when all electrons are created instantaneously. If the electrons are created over a time span $\tau_{\text{ion}}$, the longitudinal beam emittance becomes

$$\varepsilon_z = \frac{\sigma_U}{mc} \sqrt{\tau_u^2 + \tau_{\text{ion}}^2} \quad (7)$$

This equation shows that the longitudinal beam emittance is influenced by the duration of the ionization process $\tau_{\text{ion}}$, which will be treated in Section II D.

Generally, the pulse length of the freely propagating bunch is determined by four processes: first, the duration of the ionization laser pulse $\tau_l$; second, the time $\tau_{\text{ion}}$ it takes an electron to escape the rubidium potential; third, electron pulse lengthening due to the beam energy spread $\sigma_U$, as illustrated in Fig. 2; and fourth, the pulse lengthening due to space charge forces in the electron bunch. The latter process has been avoided in this work by using low charge densities.

The rms temporal bunch length $\tau_U$ due to the energy spread at a distance $z$ behind the MOT is given by

$$\tau_U \cong \sqrt{\frac{m \sigma_{\text{ion}}^2}{2U} \left(1 - \frac{z - d_{\text{acc}}}{2d_{\text{acc}}} \right)} \quad (8)$$

Here we approximated the accelerating field by an uniform electric field $\vec{F} = F\hat{z}$ that extends up to $z = d_{\text{acc}}$ and is zero for $z > d_{\text{acc}}$. This approximation holds for positions $z - d_{\text{acc}} \gg a$, with $a$ being the size of the aperture in the anode. This equation shows that there is a longitudinal focus at $z = 3d_{\text{acc}}$. Here the fast electrons created in the back of the ionization volume catch up with the slower electrons created in the front, as illustrated in Fig. 2.

D. Ionization process

To predict the ionization time constant $\tau_{\text{ion}}$ we make use of a classical model of the ionization process. This model has previously been used successfully to predict the transverse beam quality.

In the model describing the rubidium atom there are no closed electron orbits, which means that all electrons with an excess energy $E_{\text{exc}}$ (Eq. (2)) larger than zero will eventually leave the ion. The particle trajectories are calculated with the General Particle Tracer code. The electrons are started with a velocity directed radially outwards under an angle $\theta$ with the acceleration field. All simulation parameters are described in Refs. 7 and 18. From the simulated trajectories, the arrival time of the electrons is calculated at $z = 10 \mu\text{m}$, where the ion potential is negligible.

This is done for various starting angles and excess energies. To calculate the electron pulse shape for femtosecond laser ionization we have to convolve the simulation results with the broadband laser spectrum, with an rms width $\sigma_z = 4 \text{ nm}$, and with the emission angle distribution associated with the polarization of the laser field. For polarization parallel to the
acceleration field we assume an angular distribution $\sim \cos^2(\theta)$ and for perpendicular polarization we assume an angular distribution $\sim \sin^2(\theta)$.

The arrival-time distribution for $F = 0.237$ MV/m, when using a femtosecond ionization laser pulse is depicted in Fig. 5 for ionization laser wavelengths $\lambda = 470$ and $\lambda = 489.8$ nm and ionization laser polarizations both parallel and perpendicular to the acceleration field. Figures 5(a) and 5(b) show the temporal electron bunch charge distribution for a laser polarization perpendicular to the acceleration direction. Figure 5(a) shows an electron pulse for a center wavelength of the ionization laser well above ($\lambda = 470$ nm) the ionization threshold, resulting in a relatively large excess energy and a fast pulse. Figure 5(b) shows an electron pulse for a center photon energy of the ionization laser pulse below ($\lambda = 489.8$) the ionization threshold; the zero excess energy wavelength is at $\lambda = 486$ nm. Electrons created with negative excess energies cannot escape (in the classical model) which means that we are effectively narrowing the bandwidth of the broadband laser pulse. This results in a train of electron pulses leaving the atom.7,20–22

Figures 5(c) and 5(d) show the temporal electron bunch charge distribution for a laser polarization parallel to the acceleration direction. Figure 5(c) shows a fast pulse which is split into two. The first pulse is due to the electrons that immediately exit the potential; the second pulse is due to the electrons that are launched in the uphill direction (see Fig. 3(d)) and subsequently first make a round trip inside the potential before leaving. Figure 5(d) results in an electron pulse train, similar to Fig. 5(b). The ratio of the intensity of the peaks belonging to the second and third electron pulse compared with the first pulse are much smaller than that for perpendicular polarization. This is caused by the fact that there is a maximum ejection angle $\theta_c$ (Refs. 7 and 18) for a given $\lambda$ and $F$, so that for $||$ polarization almost half of the initial angles $\theta \leq \theta_c$.

In our experiments the ionization laser pulse length $\tau_\mathrm{ion} \approx 100$ fs; the pulse length contribution due to the laser pulse length can therefore be neglected as $\tau_\mathrm{ion}$ is much larger.

III. EXPERIMENTAL

Figure 6 shows a schematic representation of the entire beam line. The electrons are created at the center of a DC accelerating structure.16 The accelerated electrons pass a set of
steering coils and a magnetic solenoid lens schematically indicated by a single magnetic lens. These electron optical elements allow us to control the beam position and size. Before the electron beam reaches the detector, which consists of a dual micro-channel plate (MCP) and a phosphor screen, it passes through a 3 GHz RF deflecting cavity which is used to measure the electron bunch lengths. Note that the detector used for the pulse length measurements (dual MCP) is different from the detector that has been used for the waist scan measurements described in Section II B.

A. RF cavity

The electric and magnetic fields present in an RF cavity, operating in the TM$_{110}$ mode, exert a mainly transverse force on the electrons whose strength depends on the RF phase at the moment they pass through. The electrons in a bunch of finite length, shorter than half an RF oscillation period, will therefore acquire a transverse momentum kick while traveling through the cavity whose magnitude depends on their arrival time. The bunch will then be streaked across a detector downstream, as illustrated in Fig. 6. To enable measurements of sub-picosecond bunch lengths the cavity needs to be operated in the GHz regime. A 3 GHz streak cavity was recently developed in our group, optimized for a 30 keV beam. We have used this cavity to probe the length of the electron bunches extracted from the MOT.

The phase of the electromagnetic fields inside the RF cavity is synchronized with few 100 fs accuracy to the femtosecond laser pulse which ionizes the rubidium atoms, guaranteeing that the center of every electron pulse experiences nearly the same electromagnetic field every time it passes through the cavity. For a pillbox cavity with small entrance and exit holes at $z = \pm \frac{L_{cav}}{2}$ and transverse positions close to the cavity axis, i.e., $x, y \ll \frac{\lambda}{\omega}$, the magnetic field can be approximated by

$$\vec{B}(x, y, z, t) \approx B_0 \sin(\phi + \omega t) \hat{x},$$

(9)

with $\omega$ the angular frequency, $\phi$ a phase offset, and $B_0$ the amplitude of the oscillating magnetic field inside the cavity. We can show that the rms length of the resulting streak on the detector is given by

$$\sigma_{\text{screen}}^2 = \sigma_{\text{off}}^2 + (2\omega_c \sigma_r (d_{det} - d_{cav}) \sin(\zeta) \cos(\phi))^2,$$

(10)

while the average deflection angle of the electron pulse is given by

$$\frac{\Delta v}{v} = \frac{2\omega_c}{\omega} \sin(\zeta) \sin(\phi),$$

(11)

where $\zeta \equiv \frac{\nu_{\text{det}}}{2\nu}$, $\sigma_{\text{off}}$ is the transverse rms beam size when the cavity is turned off, and $\omega_c = \frac{eB_0}{\hbar m}$ the cyclotron frequency. To maximize the streak length the bunch has to stay one ($\zeta = \frac{\pi}{2}$)
or three half periods \( (\zeta = \frac{3 \pi}{2}) \) inside the cavity. The cavity length \( L_{\text{cav}} = 16.7 \text{ mm} \) was optimized to \( \zeta = \frac{\pi}{2} \) for a 30 keV beam. Since the energy in this setup is \( \leq 20 \text{ keV} \), the electron beam energy is fixed at \( U = 3.2 \text{ keV} \), resulting in \( \zeta = \frac{\pi}{2} \).

The 3 GHz deflecting cavity is positioned at a distance \( d_{\text{cav}} = 0.68 \text{ m} \) from the magneto-optical trap while the detector is at a distance \( d_{\text{det}} = 1.9 \text{ m} \). The pulse length \( \sigma_t \) at the position of the cavity is dominated by the energy spread of the electron beam. From Eq. (8) we estimate \( \sigma_t \approx 18 \text{ ps} \). Here we have assumed that the ionization laser beam is at its diffraction limit (\( \sigma_{\text{ion}} = 30 \mu \text{m} \)) and the pulse length \( t_i \ll 1 \text{ ps} \). Furthermore we assume that the average beam energy is optimized for maximum streak (\( \zeta = \frac{3 \pi}{2} \)) and that the duration of the ionization process \( t_{\text{ion}} \approx 10 \text{ ps} \), as discussed in Section II D. The pulse length measurements are calibrated by measuring the term \( \frac{2 \alpha}{\sigma_t} \sin(\zeta) \) in Eq. (11). This is done by scanning the phase \( \phi \) while measuring the position on the screen \( \frac{2 \alpha}{\sigma_t} (d_{\text{det}} - d_{\text{cav}}) \). The phase \( \phi \) can be scanned with a phase shifter (Mini-Circuits JSPHS-446) by applying a relative voltage \( v_{\text{phase}} = \frac{V_{\text{phase}}}{V_{\text{max}}} \) with \( 0 \leq v_{\text{phase}} \leq 1 \).

### B. Ionization laser

The femtosecond laser consists of an amplified Ti:Sapphire laser system (Coherent Legend Elite) that pumps an optical parametric amplifier (Coherent OPerA Solo) generating tunable 480 nm femtosecond pulses. The Ti:Sapph system produces 800 nm 35 fs pulses with an energy of 2.5 mJ per pulse at a repetition frequency of 1 kHz. The 480 nm laser pulse length \( t_i \) at the MOT is estimated to be 100 fs. The pulse energy of the ionization laser increases as a function of wavelength, from \( \sim 75 \mu \text{J} \) for \( \lambda = 470 \text{ nm} \) to \( \sim 150 \mu \text{J} \) for \( \lambda = 490 \text{ nm} \).

### IV. RESULTS

An example of a streak as measured on the detector is depicted in Fig. 7(a). This figure is recorded with an ionization laser wavelength \( \lambda = 483 \text{ nm} \) and using the (480–480) ionization scheme. Every streak measurement consists of \( \sim 10^3 \) electron pulses. For every wavelength \( \lambda \) of the ionization laser, the phase \( \phi \) of the RF cavity was scanned over one entire period while the electron beam was imaged by the detector.

Figure 8 shows a false color plot of the electron spot as measured on the detector as a function of the relative phase voltage \( v_{\text{phase}} \). The figure clearly shows that the electron spot is swept across the detector, as is predicted by Eq. (11).

The position of the electron pulse with respect to the center of the streak for relative phase shifter voltages \( v_{\text{phase}} \) ranging from 0.45 to 0.95 is depicted in the top plot of Fig. 9. This figure nicely shows that scanning the phase of the RF cavity will shift the position of the electron pulse.

![FIG. 7. (a) Example of an electron beam profile as measured on the detector. (b) Electron beam profile in time domain plus Gaussian fit (curve) through the data (dots) to determine the rms electron pulse length.](image-url)
spot across the detector, as shown in Fig. 8. The position of the example electron spot (see Fig. 7(a)) is indicated by the grey dot.

The bottom plot of Fig. 9 shows the rms size of the electron spot, which was obtained by fitting with a Gaussian function. This shows that the cavity is most sensitive for arrival time spread when the electron pulse is on the center of the streak, as predicted by Eq. (10) which is clearly visible in Fig. 8. Knowing the total length of the streak (used to determine $\frac{2\pi}{\lambda} \sin(\zeta)$) we can calibrate the time axis separately for each wavelength. The right plot of Fig. 7 shows the electron pulse in the time domain together with a Gaussian fit resulting in an rms pulse length of 15 ps.

In Sections IV A and IV B, we first present the streak data of the direct photoionization scheme (480–480) and the just-above-threshold photoionization scheme (780–480). Subsequently we show that we can make a pulse train by shaping the ionization laser beam profile. Finally, we present pulse length measurements of slowly ionizing Rydberg states using the just-below-threshold photoionization scheme (780–480–Ry).

A. Direct photoionization (480–480)

Figure 10 shows the rms pulse length of electron pulses created by direct ionization from the rubidium ground state (Fig. 3(a)). The measurement has been done for laser polarization both parallel and perpendicular to the acceleration field. The rms pulse lengths measured here

FIG. 8. False color plot of the electron beam as measured on the detector for relative phase voltages $v_{\text{phase}}$ ranging from 0.45 (top) to 0.95 (bottom) in steps of 0.05.

FIG. 9. Top: Distance to the center position of the streak as a function of relative phase shifter voltages $v_{\text{phase}}$ ranging from 0.45 to 0.95. Bottom: The rms size of the electron spot as a function of the cavity phase. The grey dot indicates the measurement shown in Fig. 7.
are shorter than can be explained by the diffraction-limited rms size of the ionization laser, which is in agreement with the fact that direct ionization scales with the square of the intensity of the laser field effectively narrowing the rms size of the ionization volume by a factor of \( \sqrt{2} \). A diffraction limited ionization laser beam \( \sigma_{ion} = 30 \mu m \) should result in \( 18/\sqrt{2} \approx 13 \) ps, which is confirmed by the measurement presented in Fig. 10. We note that the amount of electrons per pulse is smaller for \( \| \) polarization in contrast to \( \perp \) polarization. We also find that the measured rms pulse lengths are shorter for \( \| \) than for \( \perp \) polarization and that the pulse length increases with the ionization wavelength. These experimental findings are not yet fully understood and require further investigation, which is outside the scope of this paper.

The \( \sim 1 \) ps variation in the data points in Fig. 10 can be explained by a \( \sim 1 \mu m \) pointing instability of the ionization laser beam.

**B. Just-above-threshold photoionization (780–480)**

Figure 11 shows the measured rms pulse length of an electron pulse created by just-above-threshold ionization of excited rubidium atoms (Fig. 3(b)).

The pulse length at the position of the cavity is predominantly determined by the energy spread of the electron bunch, see Eq. (8). Convolving the temporal electron pulse distributions, see Fig. 5, with a Gaussian energy spread given by a Gaussian ionization laser beam with an rms width of \( \sigma_{ion} = 32 \mu m \), we can calculate the expected pulse length for various ionization laser wavelengths and polarizations. The results are represented by the solid lines in Fig. 11.

We see that the measured rms pulse length is in agreement with the pulse length determined by the energy spread. We also see that the rms pulse length increases as a function of...
wavelength but the increase is relatively small with respect to the magnitude of the pulse lengths, as expected from the simulations. The data show a stronger growth than expected. Similar to the direct ionization scheme (480–480) the measurement resolution is limited due to pointing instabilities of the ionization laser beam. Additionally, the Gaussian fits are less reliable due to deviation from perfect Gaussian behavior, as will be discussed below, see Fig. 12.

The electron pulse shapes for various ionization laser wavelengths are depicted in Fig. 12, together with their Gaussian fits which were used to determine the rms pulse lengths presented in Fig. 11. Figures 12(b)–12(d) show sharp features around ±40 ps. These are probably due to a deviation from a perfect Gaussian ionization laser beam profile. The features do not change position as a function of wavelength and are too sharp to be explained by a pulse train emitted by the rubidium atom (see Section II D) since this temporal information is washed out due to the energy spread of the beam, resulting in features with at least an rms width of 20 ps. The pulse train predicted by the simulations (see Fig. 5) cannot be measured since the time difference between the pulses is smaller than the pulse broadening due to the energy spread.

Figures 12(c) and 12(d) show a Gaussian arrival time distribution with a very sharp peak in the center. This peak can be attributed to slowly ionizing Rydberg atoms. This effect will be discussed in Section IV D.

These are measurements of both ultracold and ultrafast electron bunches containing \( \sim 10^3 \) electrons per pulse. The waist scan presented in Section II B has been performed on the same beam with the cavity retracted from the beam line with \( \lambda = 490 \) nm and \( F = 0.814 \) MV/m. This shows that we can produce electron pulses containing \( \sim 10^3 \) electrons with an rms width of \( \sim 25 \) ps and a normalized rms transverse emittance of \( 1.5 \pm 0.1 \) nm rad.

### C. Pulse shaping

We will now show how transversely shaping the ionization laser beam profile allows us to temporally shape an electron pulse. Figure 13(a) shows an example in which the ionization laser profile was shaped such that the distance between the two peaks is 90 \( \mu \)m. This distribution will lead to a similarly shaped longitudinal energy distribution and thus in a similarly shaped arrival time distribution at the cavity. Using Eq. (8) we can estimate that the temporal electron pulse length at the position of the cavity is \( \sim 65 \) ps. Figure 13(b) shows the streak as measured on the MCP detector. The peaks in this figure are \( \sim 6.5 \) mm apart. A full streak is equal to 14 mm, see top plot of Fig. 9, which is equivalent to half an RF period \( \sim 160 \) ps. This means that the measured pulse length \( \sim 75 \) ps, roughly in agreement with the expected pulse length. We thus show that the intensity distribution of the ionization laser profile is indeed imprinted on the temporal charge distribution we measure.

This opens the possibility to produce well defined pulse trains by shaping the intensity profile of the ionization laser.
D. Just-below-threshold photoionization (780–480–Ry)

We have seen the first evidence of slowly decaying Rydberg atoms in Figs. 12(c) and 12(d). Here, we will discuss how these slowly ionizing Rydberg atoms are formed when part of the ionization laser spectrum is below the ionization threshold.

The RF power to the cavity is switched on $10\mu$s before the ionization laser pulse reaches the MOT, to make sure that the electromagnetic fields inside the cavity are stable. In all the above mentioned measurements the RF power to the cavity was switched off $1\mu$s after the 480 nm ionization laser pulse had reached the MOT. This was done to prevent unnecessary heating of the RF cavity thus reducing phase instabilities. By this time all the fast electrons have reached the detector (time of flight is $\sim 50\text{ ns}$).

Due to the relatively low quality factor of the cavity the time it takes for the fields inside the cavity to build up and decay is $\sim 100\text{ ns}$. Electrons traversing the cavity after the RF power was switched off will not be deflected and will therefore pass right through. Varying the time at which the RF power is switched off allows us to measure the fraction of electrons that pass the cavity at timescales $\mu$s after the ionization laser pulse.

Figure 14 shows the streak of an electron pulse when the RF power was switched off $1\mu$s after the laser pulse had reached the MOT. The left peak (between $-5$ and 5 mm) shows the fast electron pulse that is streaked by the cavity; the right peak (between 5 and 10 mm) shows...
electrons that have passed the cavity after the RF power was switched off. The solid line indicates a Gaussian fit through the undisturbed electron peak.

We have measured the streak as depicted in Fig. 14 as a function of the time after which the RF power was switched off. Figure 15 shows the intensity of the peak going straight through versus the time the RF power was on after the ionization laser pulse hit the MOT, for various ionization laser wavelengths. The lowest lying data points in Fig. 15 represent a center ionization laser wavelength close to the ionization threshold ($\lambda = 480$ nm). Increasing the ionization laser wavelength increases the intensity of the Rydberg signal. The intensity of the peaks shows an exponential decay and are fitted with $\exp(-t/\tau)$ indicated by the solid curves. The decay constant $\tau$ as a function of wavelength is depicted in the inset plot of Fig. 15. The observed decay times are in agreement with earlier observations. The larger the wavelength of the ionization laser the more Rydberg atoms are created, as expected. In addition the time constant of the ionization process increases when the ionization laser wavelength is increased. This is attributed to the fact that lower-lying Rydberg states take longer to ionize.

V. CONCLUSIONS AND OUTLOOK

An RF cavity has been used to measure the pulse length of electron bunches produced by femtosecond laser photoionization of a laser-cooled and trapped ultracold atomic gas. Pulse lengths have been measured in three photoionization regimes: direct photoionization using only the femtosecond laser, two-step just-above-threshold photoionization, and two-step just-below-threshold photoionization. Both direct and just-above-threshold ionization produce ultrashort electron pulses with rms pulse durations ranging from 10 to 30 ps. Direct ionization produces few ($\sim 10^3$) and hot ($\sim 10^4$ K) electrons while just-above-threshold ionization produces many ($\sim 10^5$) and ultracold ($\sim 10$ K) electrons with a normalized transverse emittance $\epsilon_x = 1.5 \pm 0.1$ nm rad. The measured pulse lengths can be explained by the energy spread associated with the length of the ionization volume. These bunches are sufficiently short to be compressed to sub-ps pulse lengths using established RF compression techniques. Just-below-threshold ionization produces a Rydberg gas which ionizes on $\sim \mu$s timescales.

The method described here can be used to investigate the effect of space charge forces which is the main limitation of the achievable temporal resolution in single-shot UED. Measuring the pulse length in the longitudinal waist should allow the direct measurement of the influence of space charge forces on the longitudinal phase space distribution.

The temporal distribution of the predicted train of electron pulses leaving a rubidium atom could also be investigated by measuring the pulse length in the longitudinal waist.
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